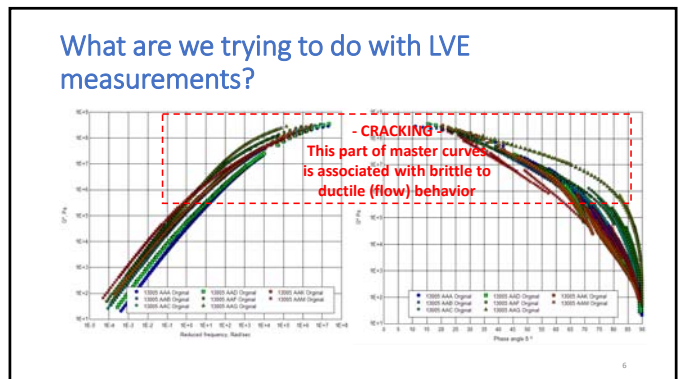
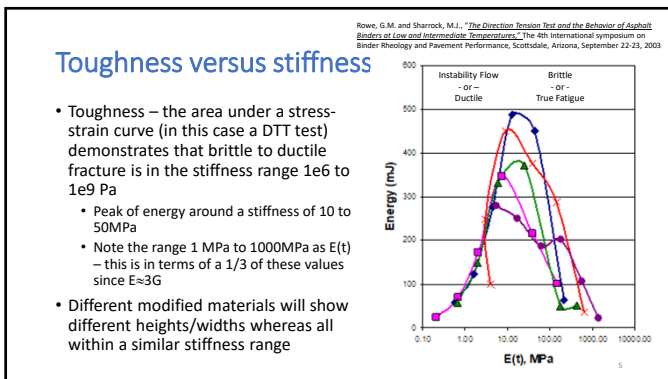
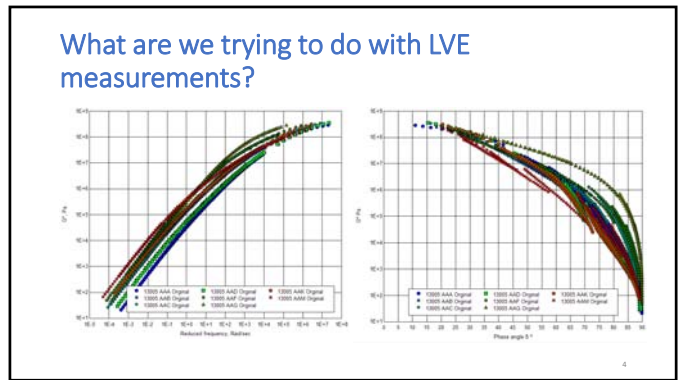


The Asphalt Parameter Jungle

- Sometimes we don't see the wood because of the trees!
- A jungle or jumble of parameters!
- This talk will focus on the linear VE parameters
 - But we do recognize that some non-linear parameters are needed
 - Separate discussion

Our industry choice ...

- Four physical characteristics of binders being considered that all define the shape of the master curve in the high stiffness region, these are:
 - R - the R-value from the Christensen-Anderson model
 - ΔTc - T_c - T_m from BBR
 - Gc - cross-over modulus
 - δ - phase angle at a defined stiffness
- Do we need all four – or do we adopt just one!**
- Some parameters however are not independent but are dependent on others
 - For example R is dependent on Gg and Gc
 - Other parameters can be dependent when extrapolated to or are calculated using a model fit
- Are we better using parameters that lack dependencies and we can measure?
- What about that point vs. shape parameter!! A thought on G-R concept!



Review based upon extensive data set

- A large volume of data has been collected over the years – and this presentation makes use of that data set
- Data includes both modified and non-modified, RAP and recycled materials

PG64-22 Shape of curve, ORG

- Shown are CA model lines with R-values from 1 to 4 - with the example shown the R around 1.51 to 1.58 depending on assumptions – considering the 4 choices!
 - $G_c = 3.07e7$ Pa
 - Should be expressed on log scale, 7.48
 - $\delta \rightarrow$ Phase angle at 8.967 MPa = 53.96°
 - Tan δ at 10 MPa = $\tan 52.65^\circ = 1.31$
 - $R = 1.51$ or 1.58 – depending on assumed G_c
 - 1.92 represents $\Delta T_c = 0$
 - Lower $R = S$ controlled
 - Higher $R = m$ controlled
 - ΔT_c – For this original $\Delta T_c = 2.211$ (BBR+DSR) or 2.26 (BBR data)
 - ALL Shape parameters define shape in high stiffness region

Cracking parameters and implementation, example of in South Africa – consider in Black Space

- Low temperature (PAV)
 - BBR parameters converted to $G^* = 111$ MPa and phase angle, $\delta = 26.2^\circ$
 - R at $\Delta T_c = 0$ is 1.92 (when $G_c = 1e9$ Pa)
- Durability cracking
 - ΔT_c -5 limit on PAV
 - This limits $R > -3.0$ (depends how R determined)
 - Excludes lower part of Black Space (higher part of Black Space – not practical binders)
- Combination of these parameters limit region in Black space that binders must fall into green area – not considering PmB
- Intermediate area
 - Need to be below G-R and original fatigue line – effectively controlled by aging ratio – a bit more on this later!!!!
 - G^* is typically about 7 MPa ($R=2.2$ when $G_c=9$ GPa, $\delta = 44.5$) for most practical binders at intermediate temperature when $G^* \sin \delta = 5$ MPa
 - Effectively controlled by aging limits on original to PAV (aging control also on original to PAV)
 - Note – tests at different frequencies – accounts in part for where on curve

ΔT_c

- Two methods being currently used in the industry
 - BBR and 4mm DSR (or other)
 - Data from the methods use different values of stiffness modulus and m-value
 - If we consider interconversion – then $S(t) = 300$ MPa would correspond to G^* of approximately 11.1 MPa ... but we use a value ... $S(t)$ of 3.22 MPa
 - Differences exist in two methods – method with 4mm generally used for forensics, formulation and R&D
 - Some equipment issues with 4mm method
 - Method with BBR produces a temperature which is well defined and run in current equipment in specifications
- Does ΔT_c capture the correct value
- Repeatability of measurement may be an issue that we need to consider
 - ΔT_c from 4mm work in BBR is different from that obtained from DSR
 - What is bias?
 - What effects of equipment type and specimen preparation?
- What about polymers and effects of these materials?

ΔT_c – with high polymer contents in binder

- Think about loading a system such as this!

Material behaves as a elastic response – it is a strongly cross-linked polymer. Displacement is not time dependent as in a typical binder. When translated to $S(t)$ versus time we have a very flat curve with $m(t)$ close to zero. Very negative ΔT_c – but note butadiene $T_g \approx -85^\circ C$

Trend confounded in some results

- Example presented at TRB 2022
 - Does aging confound the expected trend
 - What does the structure in the binder contribute to the degree of cross-linking and the expected ΔT_c

Data from presentation by Robert McGinnis "Gaps in the Binder Acceptance & Characterization – State and Contractors Perspective" 20 January 2022 Transportation Research Board, Annual Meeting, Washington, DC

R-value

- R-value – recommended by NCHRP 9-59
- Needs estimation of G_g
 - G_g not constant – would be a lot easier if it was!
- DSR data – effectively defines G_c
 - We can measure G_c in a DSR ... so why do we need R-value? Remember $R = \log G_g - \log G_c$
- From BBR
 - Problem with this method is that the R-value then depends upon two extrapolations – remember that $R = \log G_g - \log G_c$, or equivalents in bending
 - If we consider $R = 2$, then $G_c \approx 10$ MPa
 - Lowest value measured in re-testing of SHRP core asphalts – was 44 MPa ($\times 4x$)
 - R as computed from BBR is not a measured value but rather depends on extrapolation!

R-value

- Adoption of different methods will give different values for the compute R value
- Different results will be obtained if R is developed from BBR vs. DSR
- Different values will be obtained from curve fitting depending upon assumptions made
 - Could use CA or CAM
 - Could use limiting values – $1e5$ or $1e6$ Pa
 - Recommendation from SHRP was to use a lower limit of $1e5$ Pa
- Value of glassy modulus is assumed as $1e9$ Pa (shear), $3e9$ Pa (bending)
 - Assumption is not correct – all materials are not the same!

AAPT – Anderson et al., 2011

$$R = \log \left(\frac{G_g}{G_c} \right) = \log \left(\frac{G_g}{G_c} \right)$$

NCHRP 9-59, 2011

$$R = \log \left(\frac{G_g}{G_c} \right) = \log \left(\frac{G_g}{G_c} \right)$$

Curve fitting

Dobson (1969) - $1 + \tan \delta$ function

- Dobson used a function of $1 + \tan \delta$ - to consider the variation in modulus
- This function tends to zero as the phase angle reduces
- Dobson noted a linear relationship between this function and the log of stiffness – in the high stiffness region
- Data suggested that binders with different PI values (penetration index) had differing values of G_g

Dobson ... what does this method show?

- Comparison shows two very different binders from SHRP core asphalts
- Dobson's method seems to be reasonable and consistent with other data
 - Note – this graph has not fitted any model to the data

G_g and PG64-22 example

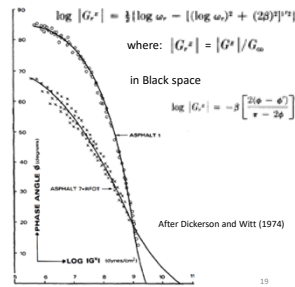
- An easy way to exam G_g variability is to construct a plot in the manner proposed by Dobson
- When $[1 + \tan \delta] = 1$, then $\delta = 0$ and we have an estimation of the Glassy Modulus, G_g
- In this example we can clearly see that the DSR+BBR data is suggesting different values of G_g
 - Note – log scale!
 - No model here – just draw a straight line through the data! I have put a straight line through the data $> 1e5$ Pa.
- My conclusion from this – G_g is not constant as defined by current testing knowledge/methods!

Variation of G_g in literature

- Analysis by Dickerson and Witt, MacCarrone and Christensen all showed a dependency of G_g on the shape of the master curve
- After reviewing ... conclude that ..
 - No unique value of G_g exists
 - Magnitude of value depends upon model chosen – hyperbola model compared to the exponential shape of the CA model

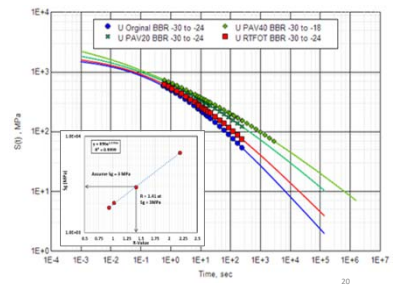
Dickerson and Witt (hyperbola model)

- Analysis considered by several authors
- Key to values obtained is shape of adopted model
 - Also different researchers made some different assumptions in analysis
 - Vertical shift applied in one case
 - Other analysis assumptions/methods not disclosed
- Note β term in this model describes flatness of curve in similar manner to R-value



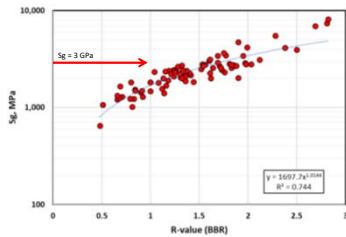
Model fit to BBR data

- Example of PmB tested in 4/2023
 - 4 aging conditions – all at a reference temperature of -24C
 - As the material ages the curves get flatter and the fit of the CA model extrapolates to higher value of Sg



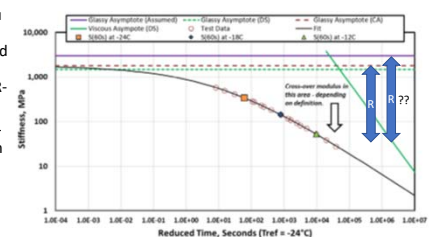
Sg calculated from BBR data set versus R

- In this case a model fit was used to estimate R and Sg
- Values are not consistent with constant 3GPa
 - As materials age generally R values increase and Sg increase



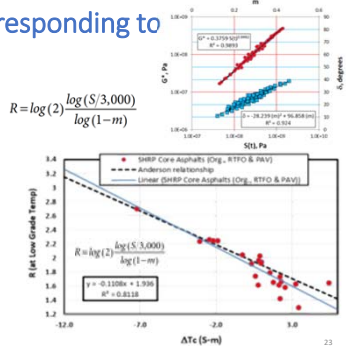
BBR example – why we get different numbers

- Depending where you are on the curve and which isotherm is used use of the equation produces a different R-value
- If a model fit is used – clearly R is different in this case depending upon the assumption used



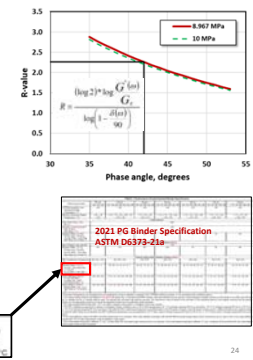
Using isotherm corresponding to grade temperature

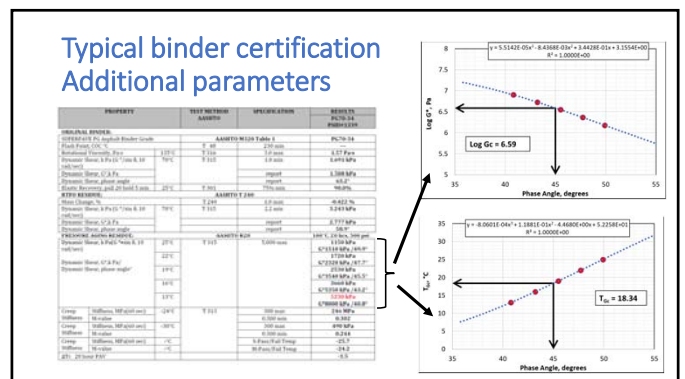
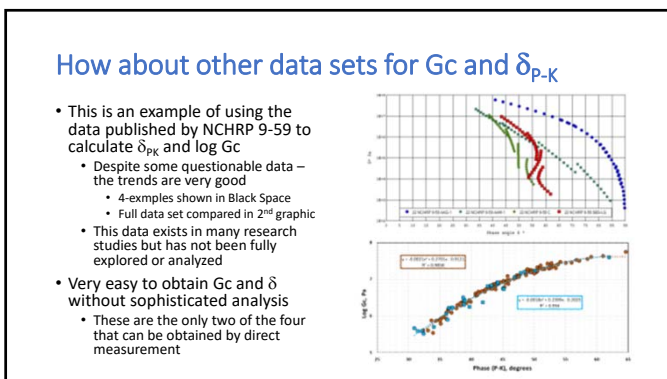
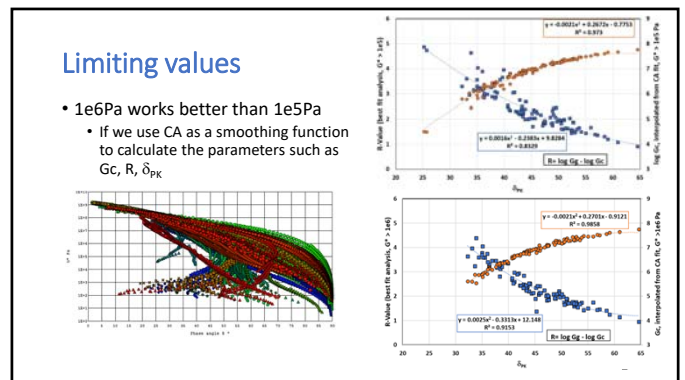
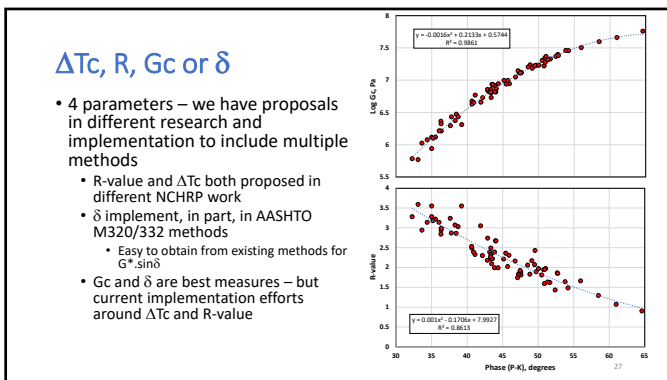
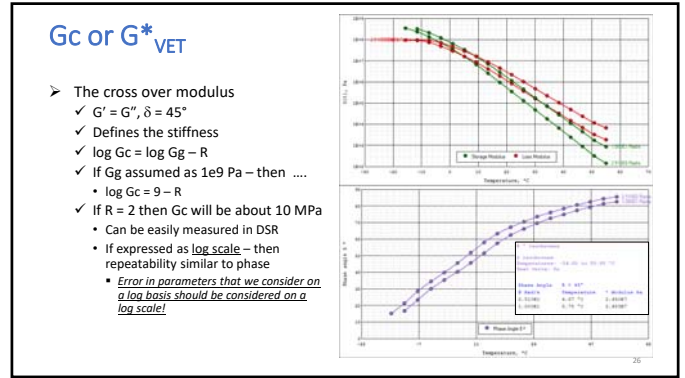
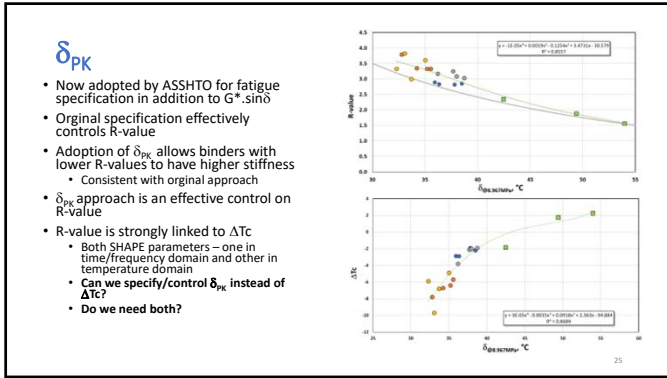
- Best relationship with ΔT_c is obtained if we use a stiffness isotherm at the S(t) grade temperature
 - But note as stiffness tends to be closer to a constant value – then the calculation of R depends more significantly on m-value
 - m-value is analogous to phase angle
 - So – if this is better – then why not just use the phase angle!

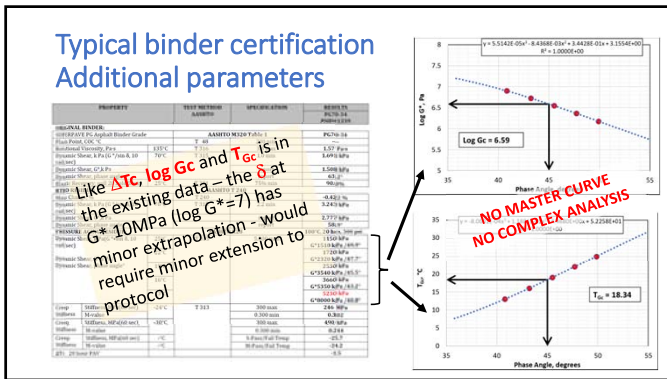


Phase angle

- δ at 8.967 MPa, effectively defines the shape of the master curve
 - If we assume a Gg of 1e9 Pa – the phase angle can be related directly to the R-value or Gc
 - The $\tan \delta$ value proposed at 10 MPa defines essentially the same point (for all practical purposes) ... can we either do 8.967 or 10 MPa!
 - We can easily measure these values in a DSR with existing methods – no extrapolation is needed
 - If we consider R-value - the modification to the fatigue requirements allows binders with higher loss modulus (5000 to 6000 kPa) to be used if they have a R-value less than 2.26!
 - Concept used in existing specifications could be extended







δ vs. R vs. G_c vs. ΔT_c

- Our extended analysis is suggesting that δ is the best method with $\log G_c$ a very close second!
- Interesting that this concept was suggested about 30+ years back by French workers!

Consideration of fatigue and block cracking with point parameter

- Different point parameter analysis to consider different types of cracking
- Fatigue criteria using a higher frequency
 - May need to go to a higher frequency to better capture durability
 - 10 Hz proposed by NCHRP 9-59 workers
 - 10 rads / 15°C being used by Rowe et al. in proposed specifications
 - 0.005 rads / 15°C original from Glover
 - Or 44.7°C and 10 rads

Conclusions

- The use of δ or $\log G_c$ rather than the rheological index (R-value) and ΔT_c could provide a better tool for specification development since these parameters appear to have greater accuracy/precision and are within a range that measurements can generally be conducted by rheometers
- Both these alternate parameters can be easily measured in the same equipment used to define $G^* \sin \delta$, the existing fatigue parameter since this is within the range of the expected values
- The same test could also be used to determine the G-R parameter at the same time
 - Recommend higher frequency to be in correct stiffness range

